Suppose G acts on E (eucl. n-space)
$\Gamma L = L$ for a lattice L

generalized Poisson:

$$t^{n/2}\mu(C/\Gamma)f(0) + \sum_{\substack{x \in L/\Gamma \\ x \neq 0}} \frac{1}{\#\Gamma_x} f(t^{2/n}x) = \mu(C/\Gamma^*)\hat{f}(0) + \sum_{y \in L^*/\Gamma^*} \frac{1}{\Gamma^*_y} f(t^{-2/n} y)$$

$(\langle gx, y\rangle = \langle x, g^* y\rangle)$

$f : E \to \mathbb{C}$, C-invariant

$(C = E \otimes \mathbb{R},\ \Gamma = E \otimes 1)$

can assume $e = (1, 0, \dots, 0) \in \Gamma$

$\Rightarrow \mu(C/\Gamma) \geq c_\mu$